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#### **SDI Review Form 1.6**

Journal Name:	British Journal of Applied Science & Technology
Manuscript Number:	Ms_BJAST_23357
Title of the Manuscript:	Coupling of Laplace Transform and Differential Transform for Wave Equations
Type of the Article	

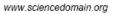
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### PART 1: Review Comments

	Reviewer's comment	Author's comment (if agreed with reviewer, correct the manuscript and highlight that part in the manuscript. It is mandatory that authors should write his/her feedback here)
Compulsory REVISION comments	Eq. (3.5) is not correct because the linear operator $\mathcal{L}$ is	
	there omitted without reason.	
	Eq. $(3.6)$ and $(3.7)$ are not correct because the operator	
	$\mathcal{R}$ in general does not commute with the operators of	
	the differential transform method w.r. to x.	
Minor REVISION comments	Please consider the suggested corrections	
	In Abstract: reconfirm the efficiency	
	In Introduction: It is an iterative proce-	
	dure for obtaining analytic Taylor's series solution of	
	differential equations which was first proposed	
	()	
	by Marwan Alquran et al.[6] and it is has been	
	successfully	
<b>Optional/General</b> comments	Although there are errors in the explanation of the	
	method (section 3) as remarked hereinbefore, the	
	Numerical Applications in section 4 are all right.	
	For me, the method utilized in this work is valuable,	
	worth being known. Nevertheless it has to be limited	
	exclusively to the cases where $\mathcal L$ contains only derivative	
	operators w.r.to t because in those cases we may isolate	
	Lu(x,t) and by inverse Laplace transform get $u(x,t)$ alone in	
	the left member so that the LDTM applied to it may	
	eventually be calculated.	

### **Reviewer Details:**

Name:	Do Tan Si
Department, University & Country	Universite Libre de Bruxelles, Belgium